

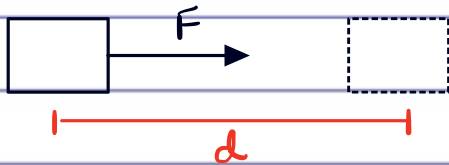
**Work:** It is the product of force and displacement in the direction of force.

\* Scalar quantity.

\* SI unit Joules (J)

$$W = F \times s$$

Exams Standard Notation.

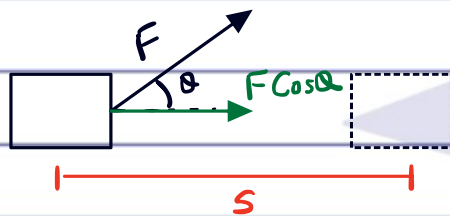


$$W = F \times d$$

Workdone by driving force/forward force/Engine.

$$W = F_d \times d$$

$F_d$  = driving force.



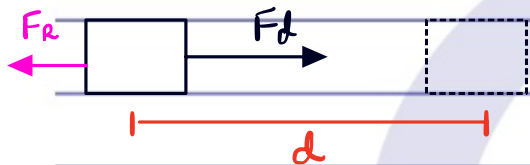
$$W = F \cos \theta \times s$$

Workdone against Frictional force/resistance/opposing force.

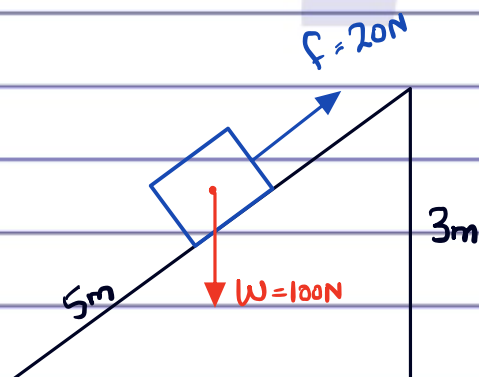
$$W = F_f \times d$$

$F_f$  = Frictional force.

Workdone by Driving force =  $F_d \times s$



Workdone against resistive force =  $F_r \times s$



Workdone by gravity (weight)

$$W = 100 \times 3 \\ = 300 \text{ J}$$

Workdone against friction

$$W = 20 \times 5 \\ = 100 \text{ J}$$

Weight = 100N

friction = 20N

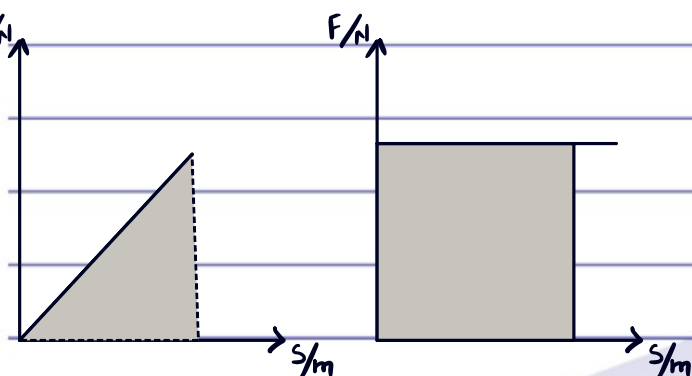
# Workdone by gas:

Topic: \_\_\_\_\_

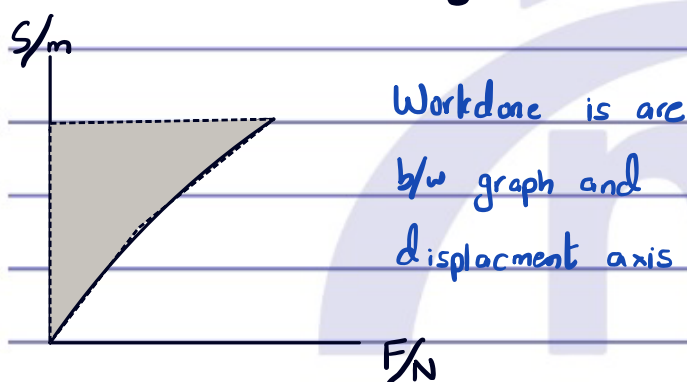
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## Force Displacement graphs

\* The area under the force displacement graph gives us workdone.

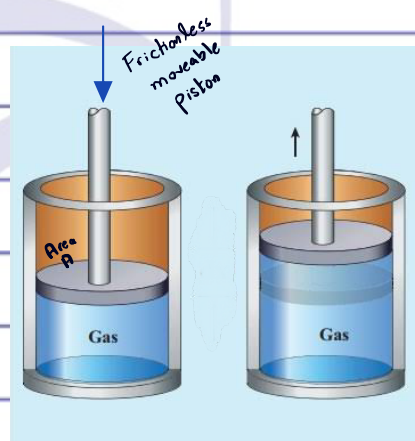


## Displacement Force graph.



Formula For calculating workdone in case of gases.

The diagram below shows a container filled with a gas. The gas pressure is denoted by  $P$ , a Piston is positioned as shown the area of Piston is denoted by  $A$  and we apply a force downwards  $F$ , So the Piston moves through a small distance of  $\Delta x$ . In this case since the gas gets compressed, we say "work is done on the gas."



$$WD = F \times s$$

$$As \quad P = \frac{F}{A}$$

$$P \times A = F$$

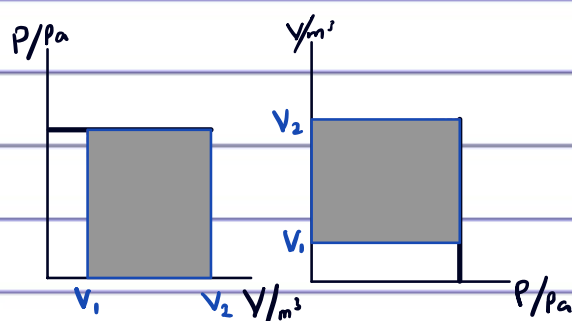
$$WD = PA \times \Delta s$$

$$\therefore A \times \Delta s$$

$$= \Delta V$$

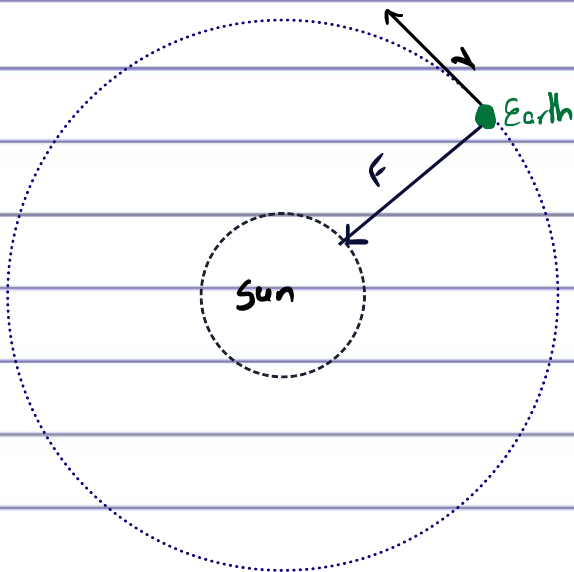
$$WD = P \Delta V$$

$$WD = P(V_2 - V_1)$$



Area under the P-V graph = Workdone by gas.

iv)



When something is moving in a circle about a point (for eg planetary motion)

There is no displacement in the direction of the force hence no work is done.

Infinite freefall. } A2

Reliable Energy Source: Energy resource that we can rely upon at any time.

$$\text{Efficiency} = \frac{\text{Useful Energy output}}{\text{Total Energy input}} \times 100$$

OR

$$\text{Efficiency} = \frac{\text{Useful Power output}}{\text{Total power input}} \times 100$$

## Energy:

Ability of a body to do work.

\* SI unit = (Joules)

\* Scalar quantity. (No direction involved)

## Types of Energy.

### 1) Mechanical Energy.

a) Kinetic Energy

b) Potential Energy (Gravitational)

### 2) Heat Energy

### 3) Chemical Energy

### 4) Elastic (Strain) Energy

### 5) Electrostatic Energy

### 6) Nuclear Energy

### 7) Internal Energy

## Sources of Energy

### 1.) Non Renewable Resources.

→ Consumption rate of these resources is much higher compare to regeneration rate

Coal, oil, natural gas, Nuclear.

## Renewable Energy Resources:

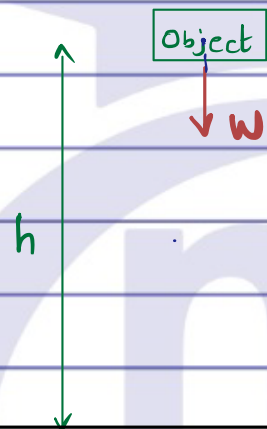
→ Resources Regenerate at an incredibly fast rate so consumption doesn't effect their reserves.

- Solar
- Tidal
- Geothermal
- Biogas
- Wind

## Gravitational Potential Energy:

Energy stored in a body due to its position in the gravitational field.

$$GPE = m g \Delta h$$



\* It is due to the pull of gravity on the object in the field

ground

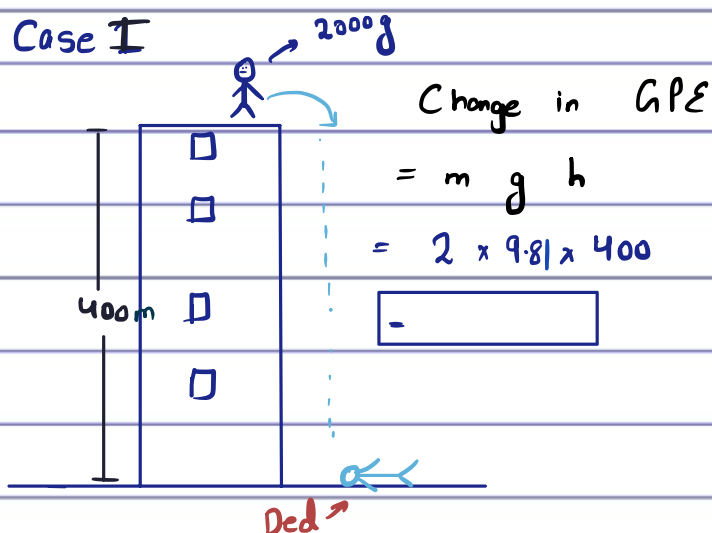
$$GPE = m g \Delta h$$

mass

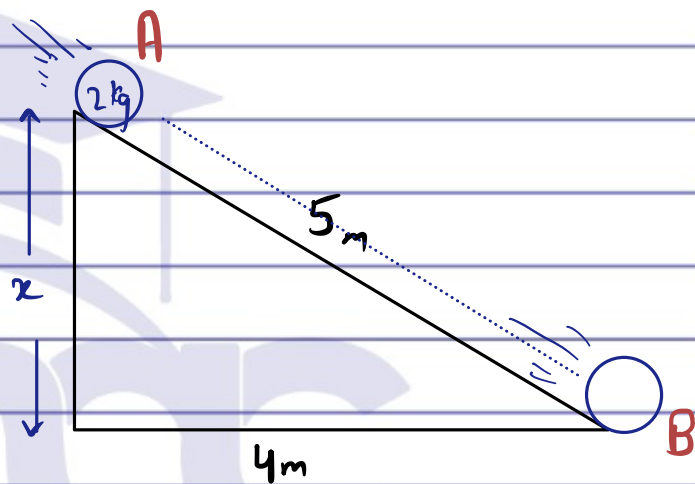
gravity (9.8)

Change in height

### Case I



### Case II



Find change in GPE from point A to B.

$$GPE = m g \Delta h$$

$$= 2 \times 9.8 \times x$$

$$= 2 \times 9.8 \times 3$$

$$= 58.8 \text{ J}$$

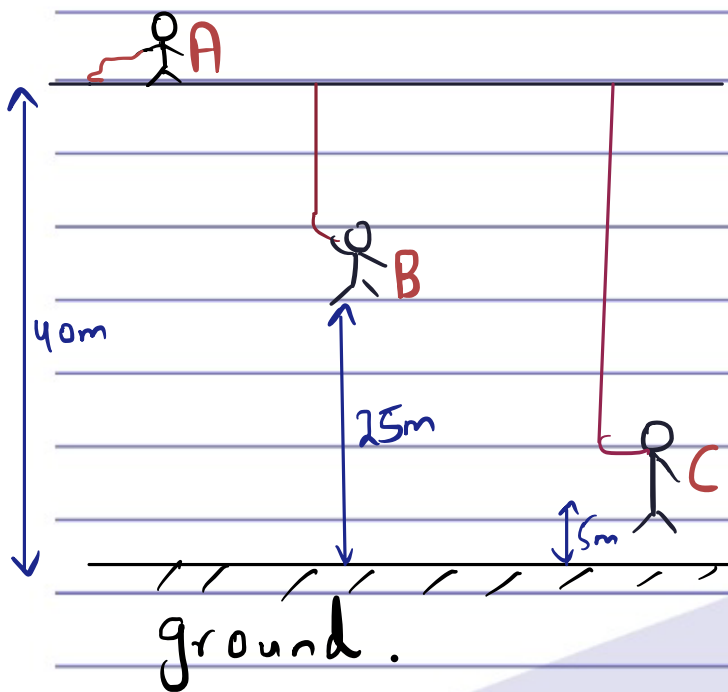
For x

$$H^2 = P^2 + B^2$$

$$5^2 = 4^2 + x^2$$

$$x = 3$$

Case no III



Kinetic Energy:

Energy stored in an object because of its motion.

$$E_k = \frac{1}{2} m v^2$$

Labels:  $E_k$  is Kinetic Energy,  $m$  is mass,  $v$  is (Speed).

A person of mass 10kg jumped from a roof carrying a rope. Find decrease in GPE from point A to B

$$E_p = m g (h_f - h_i)$$

$$= (10)(9.8)(40 - 25)$$

$$=$$

$$E_k \propto m$$

$$E_k \propto v^2$$

m	E
2m	2E
3m	3E
5m	5E

v	E
v	E
2v	4E
3v	9E
$\frac{v}{3}$	$\frac{E}{9}$

b) Find total change in GPE from A to C

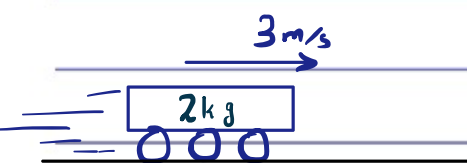
$$E_p = m g \Delta h$$

$$= m g (h_f - h_i)$$

$$(10)(9.8)(40 - 5)$$

mass	speed	KE
2m	3v	$E \times 2 \times 3^2 = 18E$
3m	$\frac{1}{2} v$	$E \times 3 \times \left(\frac{1}{2}\right)^2 = \frac{3}{4} E$
4m	2v	$E \times 4 \times 2^2 = 16E$

## Case # 1

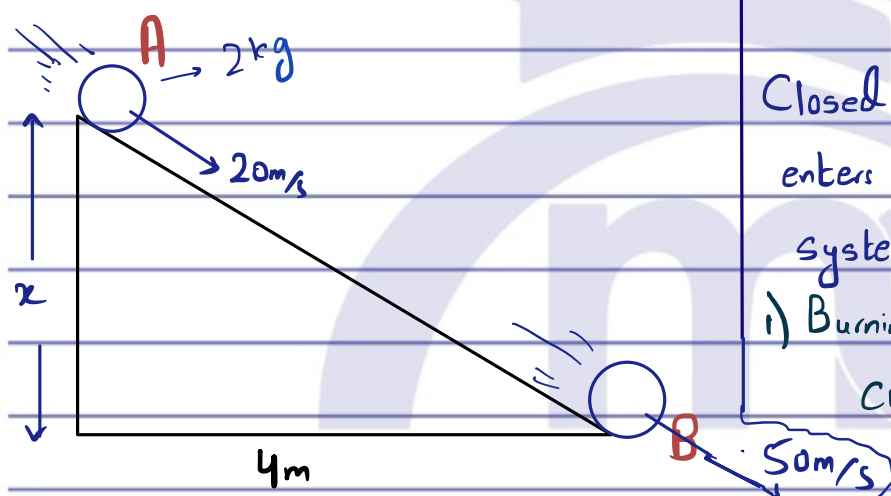


$$E_k = \frac{1}{2} m v^2$$

$$= \frac{1}{2} (2) (3)^2$$

$$= 9 \text{ J}$$

## Case # 2



Calculate change in KE

$$E_k = \frac{1}{2} m (\Delta v)^2$$

$$= \frac{1}{2} m (v^2 - u^2)$$

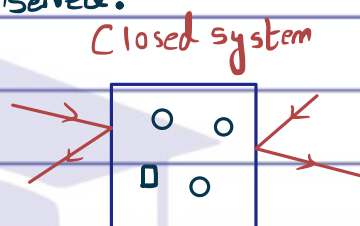
$v = \text{final velocity}$   
 $u = \text{initial velocity}$

$$= \frac{1}{2} (2) (50^2 - 20^2)$$

## Law of Conservation of Energy:

Energy can neither be created nor it can be destroyed but can be converted from one form to another.

\* Total Energy of a closed system is conserved.

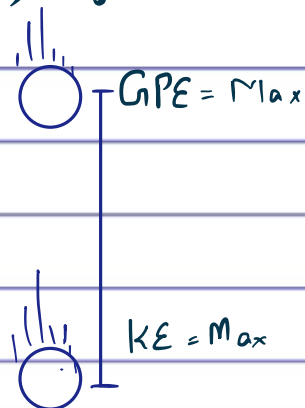


Closed system means no energy enters or leaves a specific system.

1) Burning of coal, wood or any combustion.

Chemical Energy  $\rightarrow$  light + Heat.

2) Object in freefall (Without Air Resistance)



$$E_k = E_p$$

$$\frac{1}{2} m v^2 = m g h$$

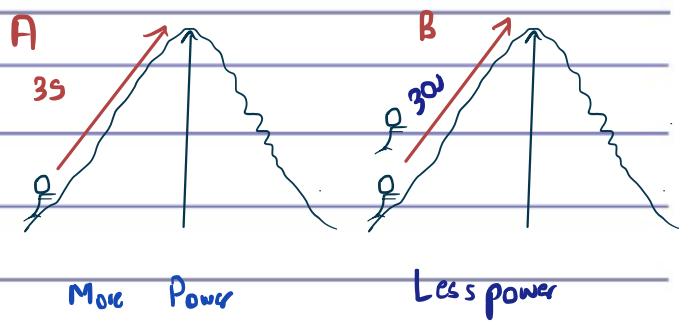
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### 3) Object falling with Air Resistance.



$$mgh = \frac{1}{2}m(v^2 - u^2) + (F_r \times s)$$



$$\downarrow P \propto \frac{1}{t \uparrow}$$

$$P = \frac{\text{Workdone}}{\text{time}} \Rightarrow P = \frac{F \times s}{t}$$

$$\therefore \frac{s}{t} = v$$

$$P = F \times v$$

Force

velocity.

$$P = \frac{\epsilon}{t}$$

$$\text{If } \epsilon = mgh$$

$$P = \frac{mgh}{t}$$

$$P = \dot{m}gh$$

mass flowrate.

Example: Pumping water to a height.

$$P = \frac{mgh}{t} \rightarrow \text{speed.}$$

$$P = mgv$$

$$\text{If } \epsilon = \frac{1}{2}mv^2$$

$$P = \frac{mv^2}{2t}$$

$$P = \frac{1}{2} \dot{m} v^2$$

Example: liquid flowing horizontally.

$$" \dot{m} = \rho A v "$$

Power: Rate of change of workdone  
OR  
Rate of change of Energy.

Anything wrt time

$$P = \frac{WD}{t}$$

Workdone

Power

Energy

time

$$P = \frac{\epsilon}{t}$$

SI unit (watt) W.

1 Watt is 1 Joules Per second

$$W = J/s$$

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